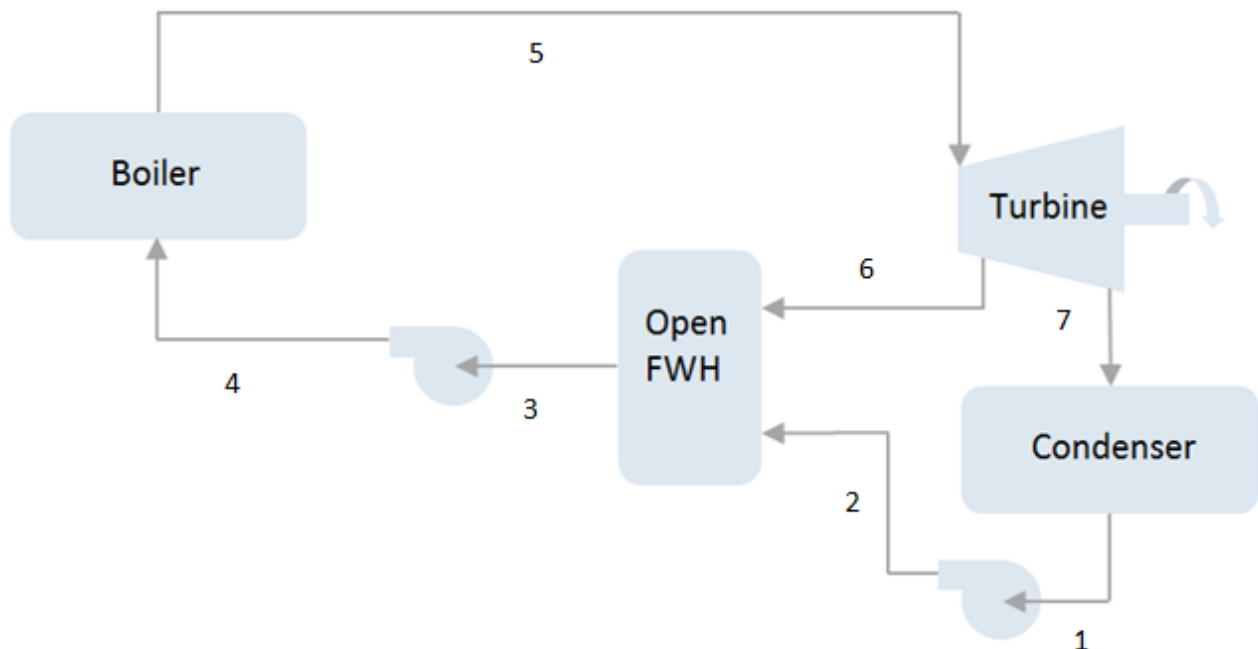


# Optimizing the Efficiency of a Regenerative Rankine Cycle

## ▼ Introduction

Rankine cycles are a thermodynamic process that turn heat into mechanical work. They are often employed in generating electrical power, with high pressure steam used to rotate a turbine.

The thermodynamic efficiency of a Rankine cycle is  $\eta = \frac{W_{net}}{Q}$ , where  $W_{net}$  is the net work done by the system, and  $Q$  is the heat added. Operating parameters are chosen to maximize efficiency - these may be the temperatures or pressures at various points in the system.



In this application, we will

- define a procedure that calculates the cycle efficiency as a function of the pump outlet pressures at points 2 and 4
- and then find the pump outlet pressures that maximize the efficiency of the cycle.

## ▼ Thermal Efficiency of a Rankine Cycle

This Code Edit region contains a procedure that calculates the cycle efficiency as a function of pump output pressures. The procedure calculates

- the enthalpies, entropies, specific volumes and temperatures at every point,
- the fraction of water removed at the high and low pressure turbine extraction points,
- and the work done by the pumps.

The procedure can be modified to return any of these values; right now, it only returns the efficiency.



Procedure to Calculate Efficiency as a Function of Pressures at

Hence if both pumps output at  $10^5$  Pa, then the cycle efficiency is

$$> \eta(10^5, 10^5) \quad 0.2107458916 \quad (2.1)$$

## ▼ Optimization

$$\begin{aligned} &> \text{Optimization:-Maximize}(\eta(P2, P4), \text{initialpoint} = \{P2 = 10^5, P4 = 10^5\}, \text{method} \\ &\quad = \text{nonlinearsimplex}, \text{evaluationlimit} = 300) \\ &\quad [0.471565463928107165, [P2 = 2.12225630088669 \cdot 10^6, P4 = 3.34241079889805 \cdot 10^7]] \end{aligned} \quad (3.1)$$